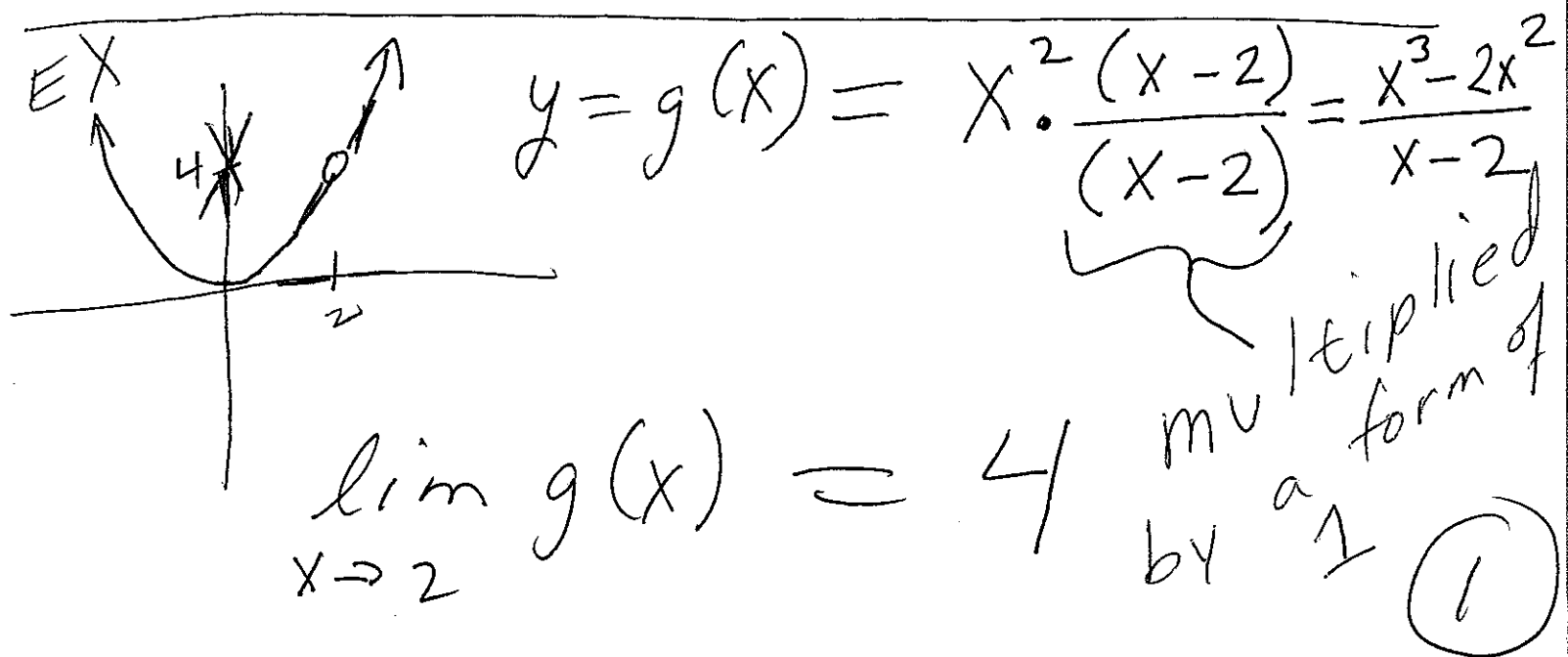
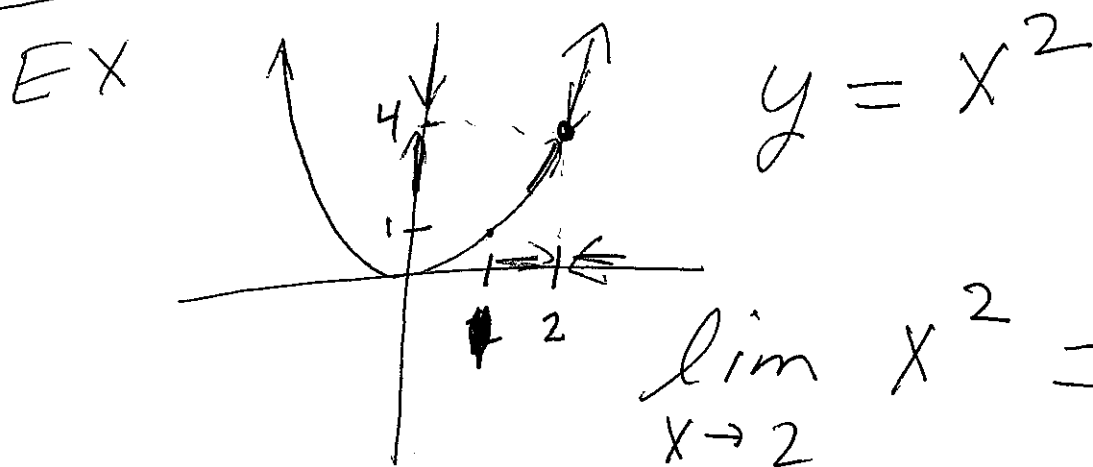


2.1, 2.2

Defn: $\lim_{x \rightarrow a} f(x) = L$ if

x close to a (except possibly at a)

$\Rightarrow f(x)$ is close to L



$$\lim_{x \rightarrow 2} \frac{x^3 - 2x^2}{x - 2} = \lim_{x \rightarrow 2} \frac{\cancel{(x-2)}(x^2)}{\cancel{x-2}}$$

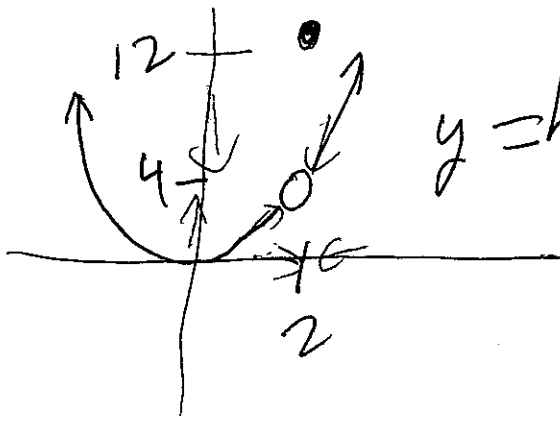
"0"
0 ← simplify
ie factor usually

$$= \lim_{x \rightarrow 2} x^2 = 4$$

since we don't care what happens at 2 (only near 2)

$$x^2 \neq \frac{(x-2)x^2}{x-2}$$

when $x = 2$



$$y = h(x) = \begin{cases} x^2, & x \neq 2 \\ 12, & x = 2 \end{cases}$$

$$\lim_{x \rightarrow 2} h(x) = 4$$

2.1	~ 4
2.001	~ 4

$$\lim_{x \rightarrow 2} \frac{x+1}{x-2} = \boxed{DNE}$$

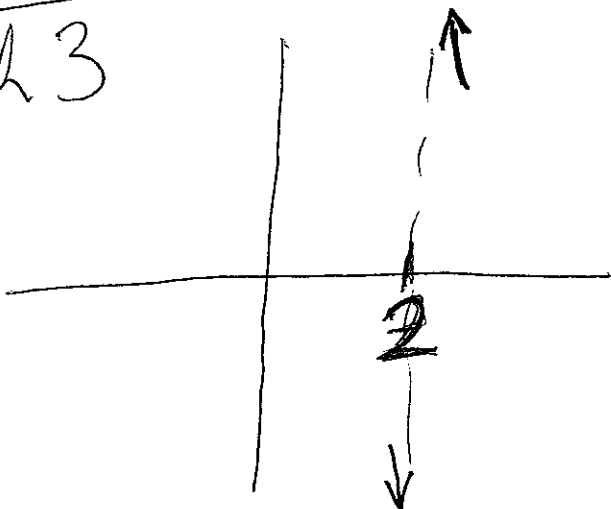
$$\frac{3}{0}$$

Explanation:

	x	$(x+1)/(x-2)$
closer to 2 ↓	2.1	$3.1/0.1 = \frac{3.1}{1/10} = \frac{3.1}{10^{-1}} = (3.1) \times 10 = 31$
	2.01	$3.01/0.01 = \frac{3.01}{10^{-2}} = 3.01 \times 10^2 = 301$
	2.00001	$3.00001/0.00001 = 3.00001 \times 10^5 = 300,001$
closer to 2 ↑	1.999	$2.999/-0.001 = -2999$
	1.9	$2.9/-0.1 = -2.9 \times 10 = -29$

getting large
→ x → ∞

ch 3



get large
but in
negative
direction
→ -∞

4

2.1 One-sided limits

Defn $\lim_{x \rightarrow a^-} f(x) = L$ if

x close to a , $x < a \Rightarrow f(x)$ close to L

Defn $\lim_{x \rightarrow a^+} f(x) = L$ if

x close to a , $x > a \Rightarrow f(x)$ close to L

