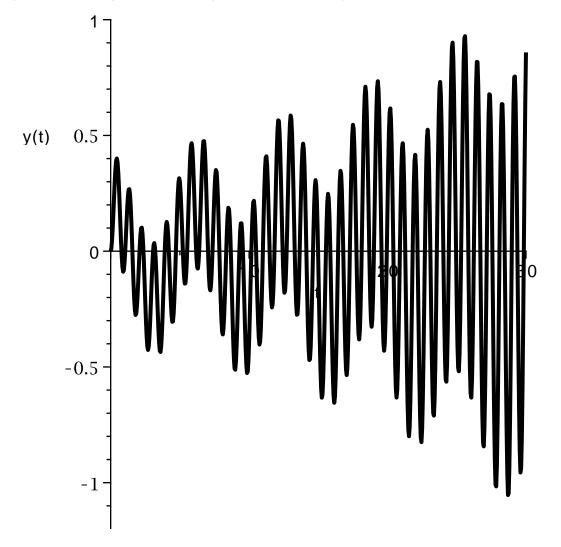
2nd order NON-homogeneous linear differential equation with DAMPING:

```
evalf(dsolve(\{diff(y(t), `\$`(t,2)) - 0.1 \cdot diff(y(t), t) + 49 * y(t) = 10 \cdot \cos(t)\}, y(t)))
\{y(t) = e^{0.050000000000t} \sin(6.999821425 t) \ C2
                                                                                                 (1)
    +\,\mathrm{e}^{0.05000000000\,t}\cos(6.999821425\,t)\,\_C1 - 0.004340258940\sin(t)
    +2.083324291\cos(t)
evalf(dsolve(\{diff(y(t), `\$`(t, 2)) - 0.1 \cdot diff(y(t), t) + 49 * y(t) = 10 \cdot \cos(t), y(0) = 0,
    (D(y))(0) = 0, y(t)
y(t) = 0.001550132022 e^{0.050000000000t} \sin(6.999821425 t)
                                                                                                 (2)
    -0.2083324291 e^{0.050000000000t} \cos(6.999821425t)
    -0.0004340258940\sin(t) + 0.2083324291\cos(t)
DEplot(diff(y(t), `\$`(t, 2)) - 0.1 \cdot diff(y(t), t) + 49 * y(t) = 10 \cdot \cos(t), y(t), t = -0..30,
```

[y(0) = 0, (D(y))(0) = 0], y = -1.2..1.2, stepsize = 0.5e-1, linecolor = black)



 $evalf(dsolve(\{diff(y(t), `\$`(t, 2)) - .1*(diff(y(t), t)) + 49*y(t) = 10*\cos(t), y(0) = 0,$

```
(D(y))(0) = 5\}, y(t)))
y(t) = 0.7158540685 e^{0.050000000000t} \sin(6.999821425 t) -0.2083324291 e^{0.05000000000t} \cos(6.999821425 t) -0.0004340258940 \sin(t) + 0.2083324291 \cos(t)
(3)
```

DEplot(diff(y(t), `\$`(t, 2)) - .1*(diff(y(t), t)) + 49*y(t) = 10*cos(t), y(t), t = 0..30, [[y(0) = 0, (D(y))(0) = 5]], y = -4..4, stepsize = 0.5e-1, linecolor = black)

